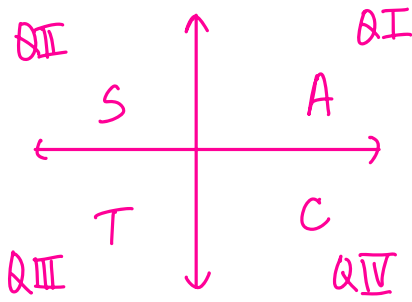


Name: _____
 PC: Angles

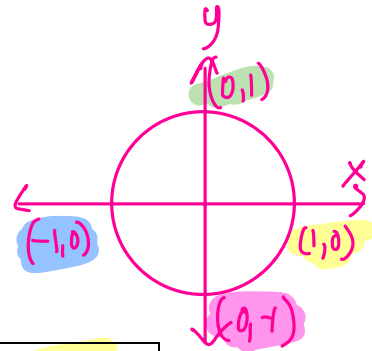
Date: _____
 Ms. Loughran

Do Now

- For each quadrant below, determine if the sine, cosine and tangent of an angle whose terminal ray falls in the quadrant is positive (+) or negative (-).



	I	II	III	IV
$\cos(\theta)$	+	-	-	+
$\sin(\theta)$	+	+	-	-
$\tan(\theta)$	+	-	+	-

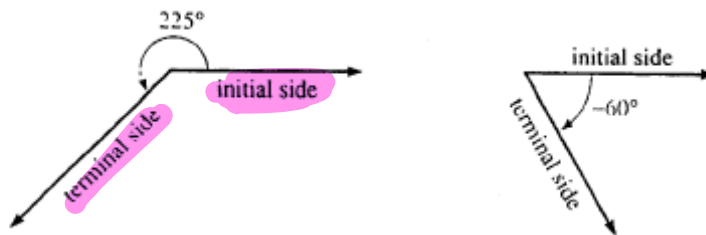


- Complete the table.

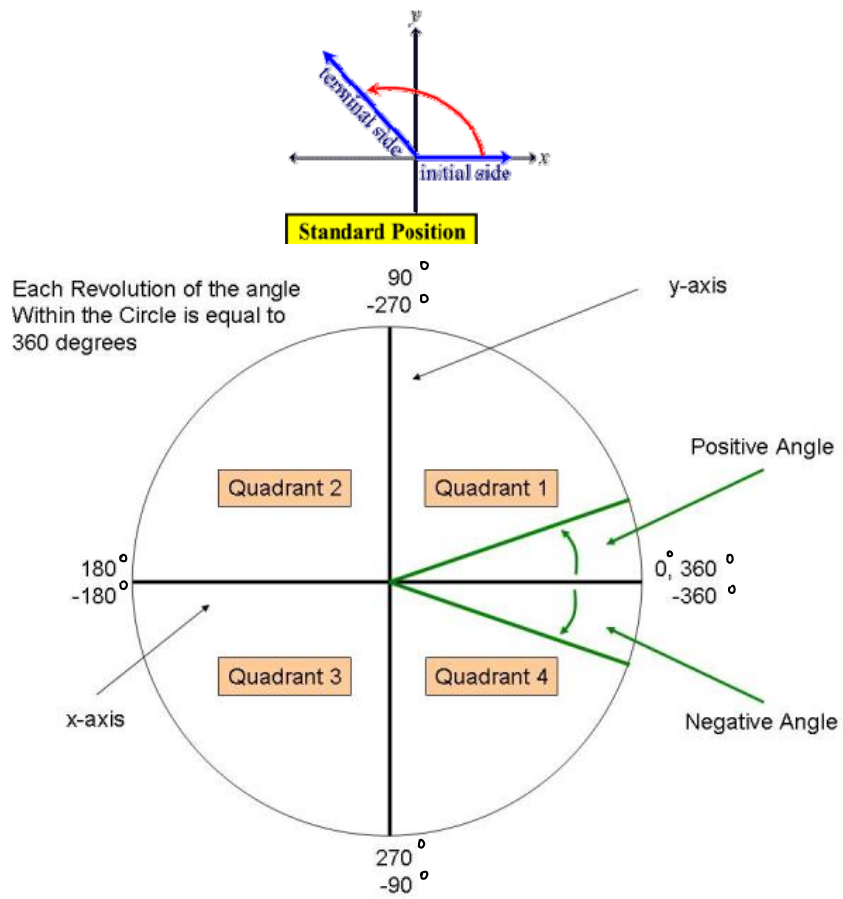
θ in degrees	0°	90°	180°	270°	360°
θ in radians	0	$\frac{\pi}{2}$	π	$\frac{3\pi}{2}$	2π
$\sin \theta$	0	1	0	-1	0
$\cos \theta$	1	0	-1	0	1
$\tan \theta$	0	undefined	0	undefined	0

Two rays that have the same endpoint form an angle. One ray is fixed while the other ray is allowed to move around the endpoint. The endpoint of the rays is called the **vertex** of the angle. The fixed ray is the initial side of the angle, and the rotated ray is the terminal side.

Counterclockwise rotations produce positive angles and clockwise rotations produce negative angles.



An angle in **standard position** has its vertex at the origin of a coordinate system and the initial side of the angle coincides with the positive x -axis. Depending on whether the terminal side falls in Quadrant I, II, III, or IV, we say that the angle lies in the first, second, third or fourth quadrant.



An angle whose terminal side coincides with a coordinate axis is called a **quadrantal angle**.

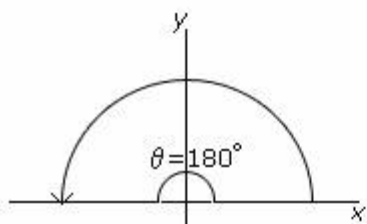


Figure 1

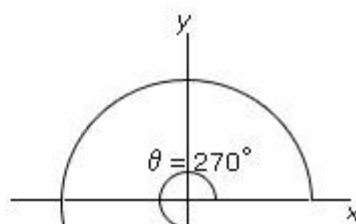
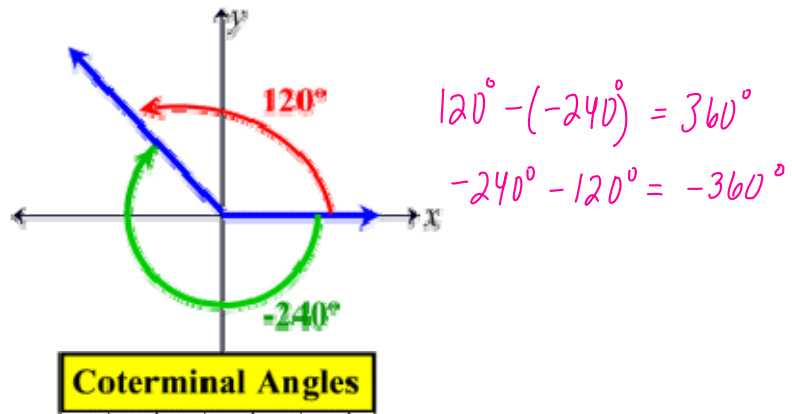


Figure 2

Angles sharing the same initial and terminal sides are called **coterminal angles**.



To find coterminal angles: add multiples of 360° .
If two angles are coterminal, their difference is: a multiple of 360° .

Exercise Set A

For 1 – 19, determine in which quadrant the angle of the given measure lies.

1. 215°

2. -110° *QIII*

3. 318°

4. 72° *QI*

5. 95°

6. -45° *QIV*

7. 225°

8. 150° *QII*

9. 422°

10. -240° *QII*

11. 680°

12. 23° *QI*

13. 812°

14. -300° *QI*

15. 289°

16. $\frac{5\pi}{4} \cdot \frac{180^\circ}{\pi} = 225^\circ$ *QIII*

17. $-\frac{3\pi}{4}$

18. $\frac{5\pi}{3} \cdot \frac{180^\circ}{\pi} = 300^\circ$ *QIV*

19. $\frac{7\pi}{6}$

For 20 - 27, name the least possible positive measure and the greatest possible negative measure of an angle that is coterminal with the given angle.

20. 70°
 $+360^\circ \rightarrow 430^\circ$
 $-360^\circ \rightarrow -290^\circ$

21. -60°

22. 110°
 $+360^\circ \rightarrow 470^\circ$
 $-360^\circ \rightarrow -250^\circ$

23. 225°

24. 270°
 $+360^\circ \rightarrow 630^\circ$
 $-360^\circ \rightarrow -90^\circ$

25. -315°

26. -180°
 $+360^\circ \rightarrow 180^\circ$
 $-360^\circ \rightarrow -540^\circ$

27. -930°
 $+360^\circ \rightarrow -570^\circ$
 $+360^\circ \rightarrow -210^\circ$
 $+360^\circ \rightarrow 150^\circ$

For 28- 31, determine whether the following pairs of angles in standard position are coterminal.

28. 40° and 400°
 yes
 $400^\circ - 40^\circ = 360^\circ$
 is a mult. of 360°
 or $40^\circ - 400^\circ = -360^\circ$

29. -120° and 120°

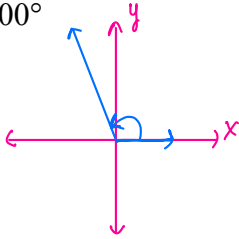
30. 180° and -180°

31. 90° and -270°

yes
 $180^\circ - (-180^\circ) = 360^\circ$
 or $-180^\circ - 180^\circ = -360^\circ$
 mult. of 360°

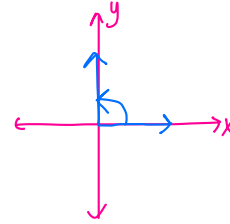
For 32 - 41, sketch an angle in standard position with the given measure

32. 100°



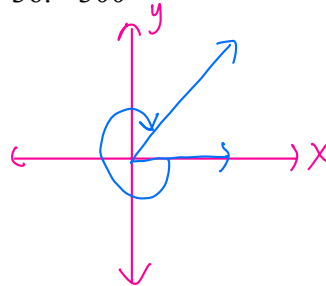
33. 360°

34. 90°



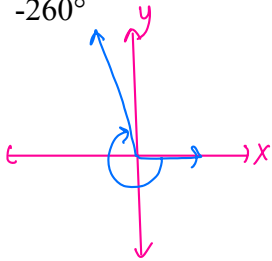
35. -100°

36. -300°



37. 270°

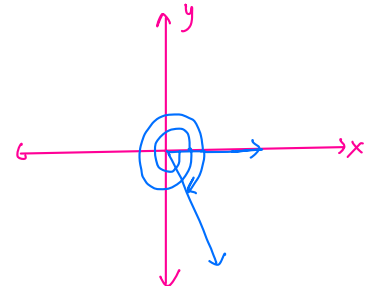
38. -260°



39. -25°

40. -800°

$$\begin{array}{r} +360^\circ \\ -440^\circ \\ +360^\circ \\ \hline -80^\circ \quad \text{Q IV} \end{array}$$










41. 1140°







Classwork/ Homework 03-11







Name _____







Converting Between Degrees and Radians

 $240^\circ = \frac{4\pi}{3}$
 $480^\circ = \frac{8\pi}{3}$
 $\frac{5\pi}{2}$ 450°
 $\frac{\pi}{5}$ 36°
 $10^\circ = \frac{\pi}{18}$
 $\frac{4\pi}{9}$ 80°
 $600^\circ = \frac{10\pi}{3}$

$\frac{\pi}{18}$	$\frac{8\pi}{15}$	$\frac{4\pi}{3}$	15°	63°
576°	$\frac{11\pi}{2}$	$\frac{5\pi}{18}$	80°	$\frac{18\pi}{5}$
$\frac{\pi}{30}$	6π	$\frac{15\pi}{4}$	450°	40°
54°	$\frac{8\pi}{3}$	$\frac{12\pi}{5}$	153°	168°
8π	27°	36°	$\frac{10\pi}{3}$	810°

 $\frac{3\pi}{10}$ 54°
 $50^\circ = \frac{5\pi}{18}$
 $\frac{9\pi}{2}$ 810°
 $1080^\circ = 6\pi$
 $\frac{\pi}{12}$ 15°
 $432^\circ = \frac{12\pi}{5}$

 $\frac{16\pi}{5}$ 576°
 $648^\circ = \frac{12\pi}{5}$
 $\frac{3\pi}{20}$ 27°
 $96^\circ = \frac{8\pi}{15}$
 $\frac{14\pi}{15}$ 168°
 $1440^\circ = 8\pi$

 $\frac{2\pi}{9}$ 40°
 $675^\circ = \frac{15\pi}{4}$
 $\frac{17\pi}{20}$ 153°
 $6^\circ = \frac{\pi}{30}$
 $\frac{7\pi}{20}$ 63°
 $990^\circ = \frac{11\pi}{2}$