



3. A hot air balloon rising vertically is tracked by an observer who is located 2 miles from the lift-off point. At a certain moment, the angle between the observer's line of sight and the horizontal is  $\frac{\pi}{6}$ , and it is changing at a rate of 0.2 radians/min.

How fast is the balloon rising at this moment?

4. Assume that the radius of the sphere is expanding at a rate of 14 in/min. Determine the rate at which the volume is changing with respect to time when the radius is 8 in.

5. A jogger runs around a circular track of radius 60ft. Let  $(x,y)$  be her coordinates where the origin is the center of the track. When the jogger's coordinates are  $(36,48)$ , her  $x$ -coordinate is changing at a rate of 14 ft/s.

Find  $\frac{dy}{dt}$ .

6. A conical tank has a height of 3 m and a radius of 2 m at the top. Water flows in at a rate of  $3 \text{ m}^3/\text{min}$ . How fast is the water level rising when the height is 2m?

**If you were giving advice/tips to a friend on how to approach a related rates problem, what would you say?**

**(Please place some of your suggestions on the large Post-it .)**

And now you are ready for another one...

7. A water tank in the shape of a right circular cone has a height of 10 feet. The top rim of the tank is a circle with a radius of 4 feet. If water is being pumped into the tank at the rate of 2 cubic feet per minute, what is the rate of change of the water depth, in feet per minute, when the depth is 5 feet?